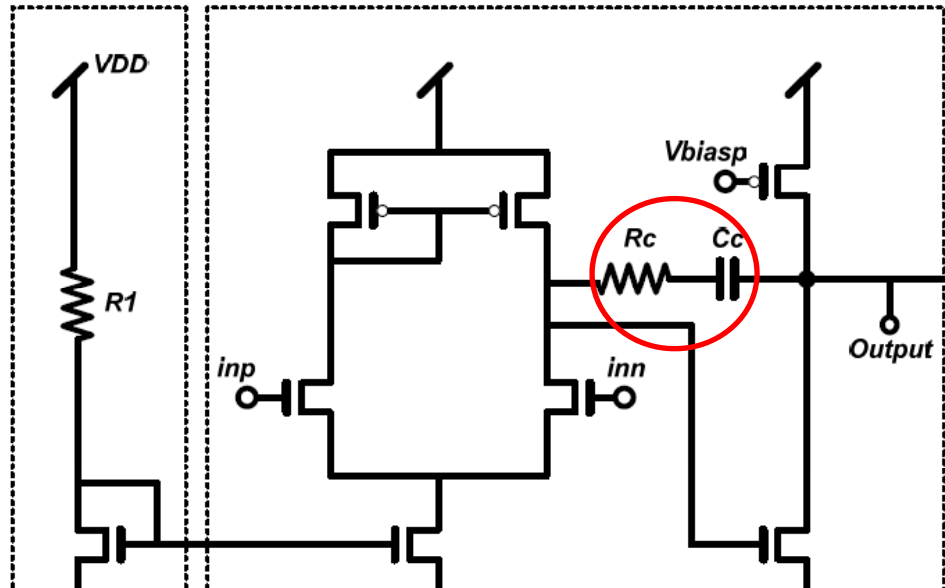


# Lect. 30: Design Project #2

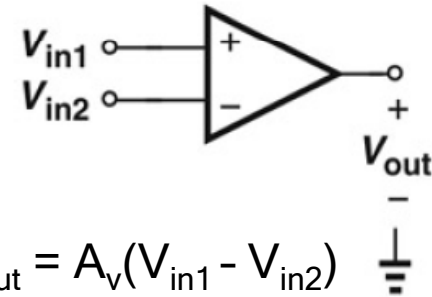


-Design Goals

Parameter	Value
$A_v$ [10]	> 70dB (Differential)
BW (3-dB Bandwidth) [10]	> 80kHz
Phase Margin [10]	> 60°
$V_{p-p}$ [10]	> 2V
Slew Rate [10]	> 90MV/s
Power Consumption [10]	< 2.5mW

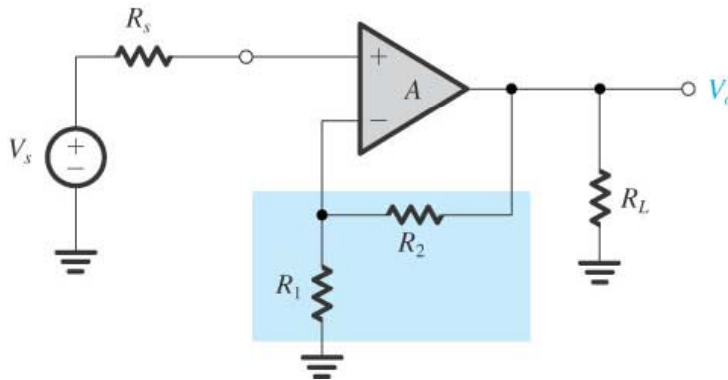
# Lect. 30: Design Project #2

Application of the differential amplifier?



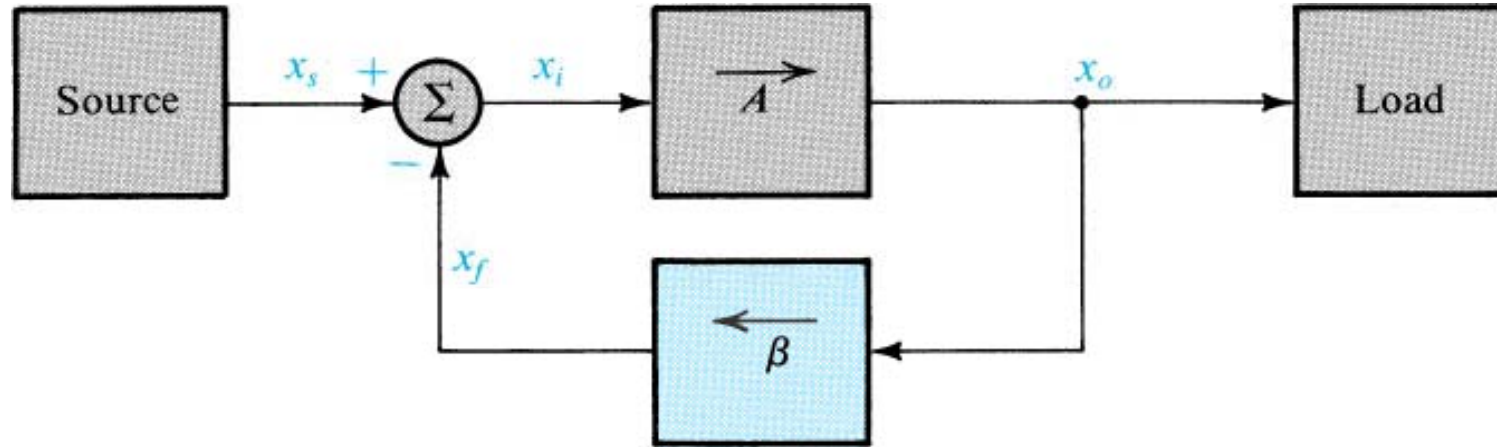
$$V_{out} = A_v(V_{in1} - V_{in2})$$

Op-amp is most often used with feedback (Lect. 4)



$$\frac{V_o}{V_s} = \frac{R_1 + R_2}{R_1}$$

## Lect. 30: Design Project #2



$$x_o = Ax_s$$

$$x_f = \beta x_o$$

$$x_i = x_s - x_f = x_s - \beta x_o$$

$$x_o = Ax_i = A(x_s - \beta x_o)$$

$$x_o(1 + A\beta) = Ax_s$$

$$\therefore A_f = \frac{x_o}{x_s} = \frac{A}{1 + A\beta} \quad (\text{Close loop gain})$$

( $A\beta$ : loop gain)

If A is frequency dependent: 
$$A_f = \frac{A(s)}{1 + \beta A(s)}$$

# Lect. 30: Design Project #2

Is feedback always possible? → Stability of feedback system

$$A_f(s) = \frac{A(s)}{1 + \beta A(s)}$$

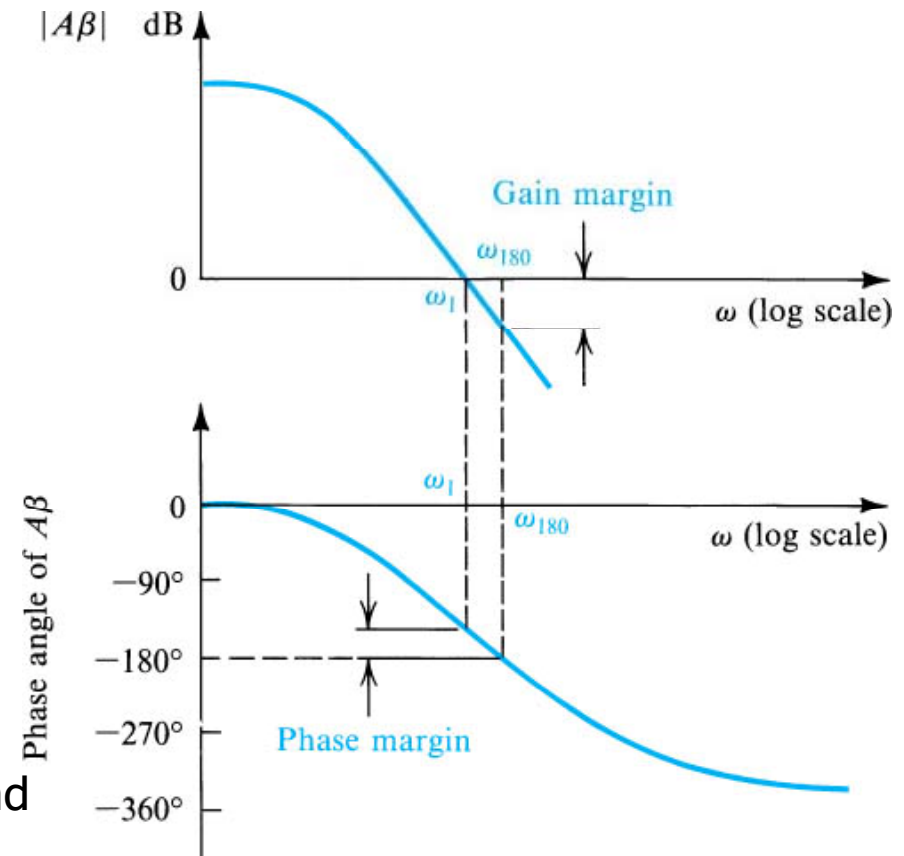
If  $\beta A(s) = -1$ , system becomes unstable !

For stable feedback system design,

Phase  $[\beta A(s)] > -180$  deg when  $|\beta A(s)| = 1$

Design  $A(s)$  with feedback application in mind

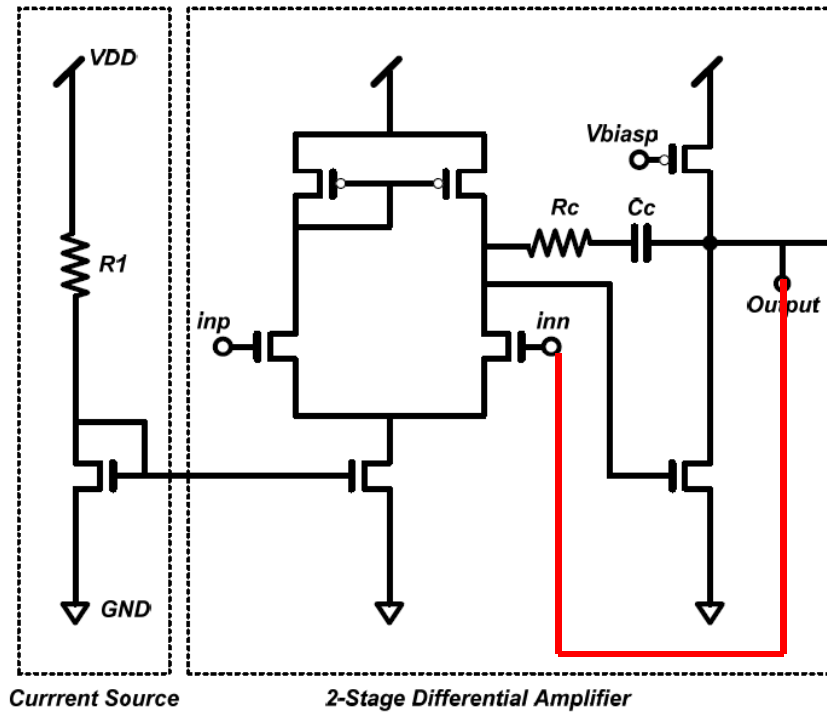
→ Provide sufficient phase margin



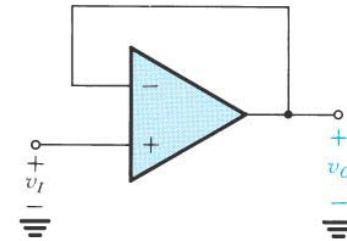


# Lect. 30: Design Project #2

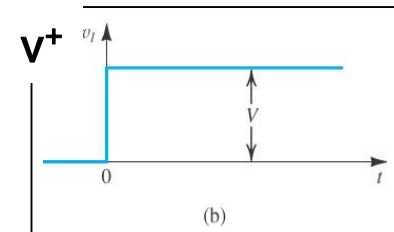
## Slew Rate



What does the circuit do?



Apply step input at  $v^+$



How fast can  $v_o(t)$  catch up with input?

- Slew rate
- I through  $R_c$  and  $C_c$

Use simulation to optimize frequency compensation and slew rate